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$\qquad$

## Notes and Examples for Vectors <br> *Must have protractor w/your name on it every day this unit.

(50 cents for a new one if you forget () )
A) Definitions
scalar- any quantity that has just $\qquad$ (__
examples: $\qquad$
vector- any quantity that has $\qquad$ and $\qquad$
examples: $\qquad$ tail head

What does a vector look like? This is how we represent a vector:


The length of the vector gives its $\qquad$ .

The orientation (the way it's pointing) of the vector gives its $\qquad$ -.
B) Orientation of a Vector

S
$20^{\circ} \quad$ of
W



C) Adding Vectors

The sum of two or more vectors is known as the $\qquad$ ( $\qquad$ ).

We will be learning how to add vectors 2 different ways:

1. Method \# 1: Graphically- making a $\qquad$
$\qquad$ (taught today.)
2. Method \# 2: By Resolution into Components- breaking each vectors into ____ triangles and using trigonometry (We will learn this on $\qquad$ .) DO NOT BE ABSENT!
$\qquad$
$\qquad$


## Method 1: Adding Vectors Graphically


(It's making a scaled drawing.)
Steps:

1) Decide what quadrant the vectors will be in. Draw the axis and write your $\qquad$ in a box.
2) Draw the first vector to scale starting at the origin and label it $\qquad$ .
3) Draw the remaining vectors, so that they make a $\qquad$ path and label them
$\qquad$ , $\qquad$ _, $\qquad$ , etc.
4) Draw the $\qquad$ as the dashed line from the $\qquad$ to the
$\qquad$ of the last vector and label it $\qquad$ -.
5) Measure the length of $\qquad$ to get the $\qquad$ and the angle of $\qquad$ (relative to the closest axis so angles are less than or equal to $45^{\circ}$ ) to get the $\qquad$ and write your answer in a box.

Example 1: Solve the following problem graphically. (That means solve it using a $\qquad$
$\qquad$ .) Sheldon gets upset with Leonard for taking his cereal. Sheldon chases Leonard 60 meters at $40^{\circ} \mathrm{N}$ of E and then 40 meters at $10^{\circ} \mathrm{E}$ of N . Calculate Sheldon's total displacement- which is his distance from $\qquad$ -.
Scale:
$\mathrm{R}=$ $\qquad$ at $\qquad$ of $\qquad$
$\qquad$
$\qquad$

Method \#2: Adding Vectors By Resolution into Components
Example 2: Gargamel is trying to catch the Smurfs. He travels at 6 m at $20^{\circ} \mathrm{N}$ of E , and then 4 m at $20^{\circ} \mathrm{E}$ of N . Find his displacement.
a) graphically.


Scale:
$\mathrm{R}=$ $\qquad$ at $\qquad$ of $\qquad$

## use 3 different colors

b) by resolution into components.

$R=$ $\qquad$ at $\qquad$ of $\qquad$
$\qquad$ Hour $\qquad$

Extra Example or Practice Problem:
A sparrow is flying at $7 \mathrm{~m} / \mathrm{s}$ at $35^{\circ} \mathrm{N}$ of E , but then there is a wind blowing at $3 \mathrm{~m} / \mathrm{s}$ at $20^{\circ} \mathrm{S}$ of E . Find the velocity of the sparrow. (the bird, not Jack Sparrow $\Theta$ )
a) graphically.
$\mathrm{R}=$ $\qquad$ at $\qquad$ of $\qquad$

Scale:
b) by resolution into components.
$\mathrm{R}=$ $\qquad$ at $\qquad$ of $\qquad$

